Sought-after features

- open game world
- intelligent synthetic players
- multiplaying
- customization
- extensions
- replaying





Key questions for synthetic players

- how to achieve real-time response?
- how to distribute the synthetic players in a network?
- how autonomous the synthetic players should be?
- how to communicate with other synthetic players?









Topics 2(2)

- Decision-Making
 - being a synthetic participant on a game, how to interact?
- Cheating Prevention
 - if players are not trustworthy, how to ensure fairness?
- Code Tweaking
 - if feeling too clever by half, how to still code clever?

§2 Random Numbers

- what is randomness?
- linear congruential method
 - parameter choices
 - testing
- random shuffling
- uses in computer games

What are random numbers good for (according to D.E.K.)

- simulation
- sampling
- numerical analysis
- computer programming
- decision-making
- aesthetics
- recreation

Random numbers?

- there is no such thing as a 'random number'is 42 a random number?
- definition: a sequence of statistically *independent* random numbers with a uniform *distribution*
 - numbers are obtained by chance
 - they have nothing to do with the other numbers in the sequence
- uniform distribution: each possible number is equally probable

Methods

- random selection
 - drawing balls out of a 'well sirred urn'
- tables of random digits
 - decimals from π
- generating data
 - white noise generators
 - cosmic background radiation
- computer programs?

Generating random numbers with arithmetic operations

- von Neumann (ca. 1946): middle square method
- take the square of previous number and extract the middle digits
- example: four-digit numbers
 - $r_i = 8269$
 - $r_{i+1} = 3763 \ (r_i^2 = 68376361)$
 - $r_{i+2} = 1601 (r_{i+1}^2 = 14\underline{1601}69)$
 - $r_{i+3} = 5632 (r_{i+2}^2 = 2563201)$

Truly random numbers?

- each number is completely determined by its predecessor!
- sequence is not random but *appears to be*
- $\blacksquare \rightarrow$ pseudo-random numbers
- all random generators based arithmetic operation have their own in-built characteristic regularities
- hence, testing and analysis is required

Middle square (revisited)

- another example:
 - $r_i = 6100$
 - $r_{i+1} = 2100 \ (r_i^2 = 3721000)$
 - $r_{i+2} = 4100 (r_{i+1}^2 = 44100 00)$
 - $\bullet r_{i+3} = 8100 (r_{i+2}^2 = 1681000)$
 - $r_{i+4} = 6100 = r_i (r_{i+3}^2 = 65\underline{6100}00)$
- how to counteract?

Words of the wise

- 'random numbers should not be generated with a method chosen at random'
 - D. E. Knuth
- 'Any one who considers arithmetical methods of producing random digits is, of course, in a state of sin.'
 - J. von Neumann

Words of the more (or less) wise

• We guarantee that each number is random individually, but we don't guarantee that more than one of them is random.'

— anonymous computer centre's programming consultant (quoted in *Numerical Recipes in C*)